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Corrections to *Population Games and Evolutionary Dynamics* (MIT Press, 2010)

Substantive corrections:

p64 l16&17	this should say "...a potential game with a concave potential function, whose set of Nash equilibria is therefore convex."
p260 l-4	add "and solutions are continuous in initial conditions" [this condition on (D) is needed for Theorem 7.B.3—see p264]
p264 l11	"Since solutions to (D) are unique, and hence continuous in. . . " $\longrightarrow$ "Since solutions to (D) are continuous in. . . " [see p260]
p465	the last paragraph of the proof of Theorem 12.2.2 can be replaced by the observation that $\log \mu_x^{N,\eta}$ is always nonpositive (since $\mu_x^{N,\eta}$ is a probability)

Typos and other minor things:

p xxi fig 1	"Sec. 12.5 only" $\longrightarrow$ "Sec. 12.6 only"
p17 l16	"chapter 5" $\longrightarrow$ "chapter 4"
p37 fig 2.9	the axis labels should be x_H and x_D
p54 l17	$\mathbb{R}^n \longrightarrow \mathbb{R}^n_+$
p54 l19	$x^p \longrightarrow x^p$
p64 l8	$\mathbb{R}^n_+ \longrightarrow X$
p64 l11	$m^p \longrightarrow m^p$
p93 l6	omit "equation (3.20) from the previous proof shows that"
p94 l-5	the line should end with $x, y \in X$
p94 l-1	the first $\tilde{\Sigma}$ should be $\tilde{\Sigma}$
p99 l2	$j \min b(x) \longrightarrow j = \min b(x)$
p116 l11	this should say $x \in GESS(F) \Leftrightarrow x \in \bigcap_{y \in X-\{x\}} I_F(y)$
p123 l-2	F $\longrightarrow F$
p134	$e \longrightarrow$ e (twice)
p141 l3	"interpretaion" $\longrightarrow$ "interpretation"
p166 l10	$\pi^p_i(x) \longrightarrow \pi^p_i$
p172 l-14	p $\longrightarrow p$
p183 l4	this dynamic $\longrightarrow$ the best response dynamic
p184 l7	omit "is globally stable and"
p194 l-8	after the comma, add "let $F(x)$ denote the distribution function of ε_i, and"
p208 l8	$\|y_s - x_s\| \longrightarrow \|y_s - x_s\|^2$

p221 l5   omit "are"

p227 l-10   "That $\tilde{f}$" $\longrightarrow$ "That $\tilde{f}$"

p235 l-16   end this with "dynamics with protocols of the form"

p245 l1 $G^{-1}(0)$ $\longrightarrow$ $\tilde{G}^{-1}(0)$

p236 l12   end this with "for this dynamic with $\varepsilon = \frac{1}{10}$"

p262 l4 t_n $\longrightarrow$ t_k

p262 l5 $\sum_{j=1}^{k} t_i$ $\longrightarrow$ $\sum_{i=1}^{k} t_i$; also, x_j $\longrightarrow$ x_i

p262 l-10   replace this with "...embed this flow in the plane as an asymptoti-
               cally stable homoclinic orbit whose rest point is attracting but not
               asymptotically stable."

p269 l8   "also they" $\longrightarrow$ "they also"

p281 l-12   "equiibrium" $\longrightarrow$ "equilibrium"

p310 l7   in the bottom row of the last matrix, ξ_1 should be ξ_2

p313 l16   omit "the real and imaginary parts"

p329 l16   "important" $\longrightarrow$ "importantly"

p333 l4   "suffficiently" $\longrightarrow$ "sufficiently"

p337 l-11 $\hat{V}(y) = h(V(h^{-1}(y)))$ $\longrightarrow$ $\hat{V}(y) = MV(h^{-1}(y))$

p353 l-6   omit "and the Poincaré-Bendixson Theorem"

p389 l-10 X^N $\longrightarrow$ X_t^N

p395 l-14   "Sahdholm" $\longrightarrow$ "Sandholm" (!)

p425 l14 Φ_i $\longrightarrow$ Φ

p426 l1   the summand should be $(F_1^N(\frac{j}{N}, \frac{N-j}{N}) - F_0^N(\frac{j-1}{N}, \frac{N-j+1}{N}))$

p426 l-13 f $\longrightarrow$ f^N

p426 l-11 f $\longrightarrow$ f^N; $\tilde{f}$ $\longrightarrow$ $\tilde{f}^N$

p433 l-9   "part (i)" $\longrightarrow$ "parts (i) and (ii)"

p480 l5 $I^\eta(x)$ $\longrightarrow$ $I^\eta(\chi)$

p482 l-4 Δ_F $\longrightarrow$ F_Δ

p497 l-11 $+1$ $\longrightarrow$ -1

p503 l17-18 $[0, \bar{\varepsilon}]$ $\longrightarrow$ $(0, \bar{\varepsilon}]$ (twice)

p513 l10-11   for all $i, j, k \in S$ $\longrightarrow$ for all distinct $i, j, k \in S$ (and hence for all
               $i, j, k \in S$ with $i \neq j$ and $i \neq k$ (why?))

p549 l7   "Theory" $\longrightarrow$ "The Theory"

p559 l9   81–108 $\longrightarrow$ 667–689

p576 l-14   "upperhemicontinuous" $\longrightarrow$ "upper-hemicontinuous"